# **Distanceless Label Propagation: an Efficient Direct Connected Component Labeling Algorithm for GPUs**



Most Connected Component Labeling (CCL) algorithms are sequential, direct and optimized for CPU. Very few were designed specifically for GPU architecture. The most efficient GPU implementations are iterative in order to manage synchronizations between processing units but the number of iterations depends on the image shape



Classical direct algorithms process the input image pixel by pixel with a neighborhood mask and an equivalence table that holds a graph structure (oriented forest) to represent the label connections. This linear scanning is not suitable for GPU implementation.

Iterative algorithms propagate localy (mask's horizon) the connection between pixels and iterate until stabiliza-While this process helps from tion. the synchronization point of view, strong dependency it introduces а density and shape image the increasing the whole labeling time

Iterative propagation, shape dependancy, geodesic distance

While a full square can be labeled in 5 iterations a square with a hole needs 8 iterations.

| 1                 | 2           | 3                | 4                | 5                 | 5           |                  | 1 1                | 2           | 2 3              | 3                | 4  |                  | 1           | 1           | 1           | 2                | 3   | 1 | 1 | 1                    | 1                   | 2                                 |             | 1                | 1           | 1                | 1           | 1           |
|-------------------|-------------|------------------|------------------|-------------------|-------------|------------------|--------------------|-------------|------------------|------------------|----|------------------|-------------|-------------|-------------|------------------|-----|---|---|----------------------|---------------------|-----------------------------------|-------------|------------------|-------------|------------------|-------------|-------------|
| 6                 | 7           | 8                | 9                | 10                | 0           |                  | 1 [1               | 2           | 2 3              | 3                | 4  |                  | 1           | 1           | 1           | 2                | 3   | 1 | 1 | 1                    | 1                   | 2                                 |             | 1                | 1           | 1                | 1           | 1           |
| 11                | 12          | 13               | 14               | 15                | 5           | 6                | 6 6                | \$ 7        | 7 8              | 3                | 9  |                  | 1           | 1           | 1           | 2                | 3   | 1 | 1 | 1                    | 1                   | 2                                 |             | 1                | 1           | 1                | 1           | 1           |
| 16                | 17          | 18               | 19               | 20                | 0           | 1                | 1   1 <sup>-</sup> | 1 1         | 21               | 3 1              | 14 |                  | 6           | 6           | 6           | 7                | 8   | 1 | 1 | 1                    | 1                   | 2                                 |             | 1                | 1           | 1                | 1           | 1           |
| 21                | 22          | 23               | 24               | 25                | 5           | 1                | 61                 | 611         | 71               | 81               | 10 |                  | 11          | 11          | 11          | 12               | 13  | 6 | 6 | 6                    | 6                   | 7                                 |             | 1                | 1           | 1                | 1           | 1           |
|                   |             | 20               |                  | 20                | 5           |                  |                    |             |                  |                  | 19 |                  |             |             | 11          |                  |     |   | U |                      |                     | 1                                 |             |                  |             |                  |             |             |
|                   |             |                  |                  | 20                |             |                  |                    | <u>ין ט</u> | <u>/    </u>     |                  | 19 |                  |             |             |             | 12               |     |   |   |                      |                     |                                   |             |                  |             |                  |             |             |
| 1                 | 2           | 3                | 4                | 5                 | 5           | 1                | 1                  | 2           | 3                | 4                |    | 1                | 1           | 1           | 2           | 3                | ]   | 1 | 1 |                      | 1 1                 |                                   | 1           | 1                | 1           | 1                | 1           | 1           |
| 1                 | 2<br>0      | 3<br>0           | 4                | 5<br>7            | 5           | 1                | 1                  | 2           | 3<br>0           | 4                |    | 1                | 1           | 1           | 2           | 3                |     | 1 |   |                      | 1 1<br>2 0          |                                   | 1           | '<br>1<br>1_     | 1<br>0      | 1<br>0           | 1<br>0      | 1           |
| 1<br>6<br>8       | 2<br>0<br>0 | 3<br>0<br>0      | 4<br>0<br>0      | 5<br>7<br>9       | 5           | 1<br>1<br>6      | 1<br>0<br>0        | 2<br>0<br>0 | 3<br>0<br>0      | 4<br>4<br>7      |    | 1<br>1<br>1      | 1<br>0<br>0 | 1<br>0<br>0 | 2<br>0<br>0 | 3<br>3<br>4      |     | 1 |   | ) ((                 | 1 1<br>D (0<br>D (0 | ,<br>,<br>,<br>,<br>,<br>,<br>,   | 1<br>1      | 1<br>1<br>1      | 1<br>0<br>0 | 1<br>0<br>0      | 1<br>0<br>0 | 1<br>1<br>1 |
| 1<br>6<br>8<br>10 | 2<br>0<br>0 | 3<br>0<br>0<br>0 | 4<br>0<br>0<br>0 | 5<br>7<br>9<br>11 | 5<br>7<br>9 | 1<br>1<br>6<br>8 | 1<br>0<br>0        | 2<br>0<br>0 | 3<br>0<br>0<br>0 | 4<br>4<br>7<br>9 |    | 1<br>1<br>1<br>6 | 1<br>0<br>0 | 1<br>0<br>0 | 2<br>0<br>0 | 3<br>3<br>4<br>7 | ••• | 1 |   | ) ((<br>) ((<br>) (( |                     | , -<br>-<br>-<br>-<br>-<br>-<br>- | 1<br>1<br>1 | 1<br>1<br>1<br>1 | 1<br>0<br>0 | 1<br>0<br>0<br>0 | 1<br>0<br>0 | 1<br>1<br>1 |

In one iteration, the propagation distance of a label is limited to 1 by the mask radius. The number of iterations is (gd+1) with gd the geodesic distance. gd is data-dependent and reflect the image complexity. For the spiral (one of the worst cases) the number of iterations dramatically increases with the spiral size.

|   |     |   | 0 |   |   | 1 |   |   |   |   |   |   |   |    |     |     | '<br> |    |    |    | 0 |   |   | Sp | ira | l wi | dth | lte | ratio       | ns      |
|---|-----|---|---|---|---|---|---|---|---|---|---|---|---|----|-----|-----|-------|----|----|----|---|---|---|----|-----|------|-----|-----|-------------|---------|
|   |     | 1 | 2 | 3 | 4 |   |   | 1 | 2 | 3 | 4 | 0 | 1 | 2  | 2   | 3   | 4     | 0  | 1  | 2  | 3 | 4 | - |    |     | 5    |     |     | 13          |         |
|   |     | 1 | 2 | 3 | 4 |   |   |   |   |   | 4 |   |   |    |     | '   | 4     |    |    |    |   | 4 |   |    |     | •    |     |     |             |         |
| 2 |     | 2 | 2 | 3 | 4 |   | 2 |   |   |   | 5 | 8 | 7 | 6  | 5 5 | 5   | 5     | 11 | 11 | 12 |   | 5 |   |    | 1   | .00  |     |     | 5001        |         |
| 3 |     | 3 | 3 | 3 | 4 |   | 3 |   |   |   | 6 | 8 |   |    |     |     |       | 10 |    |    |   | 6 |   |    | 20  | )48  |     | 2.1 | $\times 10$ | $0^{6}$ |
| 4 | . 4 | 4 | 4 | 4 | 4 |   | 4 | 4 | 5 | 6 | 7 | 9 | 9 | 1( | 01  | 1 1 | 2     | 10 | 9  | 8  | 7 | 7 |   |    |     |      |     |     |             | -       |

## **DLP:** beyond the mask's horizon

**DLP-I:** labels initialization  $\rightarrow$  embed the graph By initializing the label image with a value refering to each pixel position, a label points to its original location. **1D**:





The graph reveals hidden connections between labels

By setting each pixel site to the value of its corresponding root, the relabel the image and the transitive closure graph are performed simultaneously

| eling of | neighbor   |
|----------|------------|
| of the   | then assig |
| ,        | 1          |
|          |            |



The spiral (regardless its size) can be solved using once the sequence: {DLP-I, DLP-SetRoot, DLP-R, DLP-SetRoot, DLP-R. This sequence has to be compared to the  $2.1 \times 10^6$  iterations required by classical iterative algorithms.

### **DLP-RUF: Recursive Union-Find**

On GPU, several threads can modify the graph concurrently. DLP-RUF addresses the concurrency issue with a recursive call to *atomicRUF* (based on *atomicMin*). Although DLP-RUF can label the whole image in one pass, its efficiency is increased after an optional {DLP-SetRoot, DLP-R sequence}.

| A | lgo  |
|---|------|
| 1 | if a |
| 2 |      |
| 3 | if a |
| 4 |      |
| 5 | els  |
| 6 |      |
| 7 |      |
|   |      |

# **DLP-GPU:** fitted to GPU architecture

The image is sliced into tiles to take advantage of the shared memory. Each tile is locally labelled using DLP mechanisms with a  $2 \times 2$  propagation mask. Local labels are translated to global labels before applying the one pass border merging (east and south) with DLP-RUF. Then a final global relabeling with DLP-R is applied.











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### **DLP-SetRoot:** adding **Union-Find**

DLP-SetRoot analyse the label values in the rhood to find the minimum ( $\varepsilon$ ) and igns it to all the neighbor roots  $(e_k)$ .





 $minResult = atomicMin(\&E[e_k - 1], \varepsilon)$  $\varepsilon > minResult$  then  $\blacktriangleright$  minResult  $< \varepsilon < e_k$  $atomicRUF(E, \varepsilon, minResult)$ 

if  $e_k > minResult$  then  $\triangleright \varepsilon < minResult < e_k$  $atomicRUF(E, minResult, \varepsilon)$ 

|   |                |    | 1                    | 8                    |    |                |    |                |    | 8                    |
|---|----------------|----|----------------------|----------------------|----|----------------|----|----------------|----|----------------------|
| L | 1              |    | 1                    | 8                    |    | 8              | 8  | 8              |    | 8                    |
|   | 1              |    | 1                    | 8                    |    | 8              |    | 8              |    | 8                    |
|   | 1              | 1  | 1                    | 8                    | 8  | 8              |    | 8              | 8  | 8                    |
|   |                |    |                      |                      |    |                |    |                |    |                      |
|   |                |    | 57                   | 63                   |    |                |    |                |    | 63                   |
| 7 | 57             |    | 57<br>57             | 63<br>63             |    | 63             | 63 | 63             |    | 63<br>63             |
| 7 | 57<br>57       |    | 57<br>57<br>57       | 63<br>63<br>63       |    | 63<br>63       | 63 | 63<br>63       |    | 63<br>63<br>63       |
| 7 | 57<br>57<br>57 | 57 | 57<br>57<br>57<br>57 | 63<br>63<br>63<br>63 | 63 | 63<br>63<br>63 | 63 | 63<br>63<br>63 | 63 | 63<br>63<br>63<br>63 |





| Step 1: tile local lab |
|------------------------|
| DLP-I(tile)            |
| DLP-SetRoot(t          |
| DLP-R(tile) [op        |
| DLP-RUF(tile)          |
| DLP-R(tile)            |
| Label translatio       |
| Step 2: border merg    |
| Step 3: whole image    |

Random-based but reproducible benchmarks (Mersene Twister + fixed seed) allow fine analysis and fair comparisons between algorithms.

The image's parameters are: the density d (between 0 and 100%) the granularity g (between 1 and 16) and the image's size. **Results** - fixed (2048×2048) and variable size

With only 256 cores vs 2816 (9.1%), the Jetson TX2 achieve 11.2% of the GTX980ti performance. For both cards, when g increases, the curves come closer to a straight line. The border processing (step 2) is very cycle consuming : quite the same time than relabeling (step 3) while it only processes borders (noncoalescent accesses to the east borders pixels and to the equivalence table within the image).



The throughput performance increases with g and the peak performance is The image size for which half of the peak perforquickly reached. mance ( $N_{1/2}$  metric) is reached is respectively 640  $\times$  640 and 176  $\times$  176. DLP-GPU quickly reaches the peak performance of the GPU.

## Conclusion

DLP is a new direct CCL algorithm for GPU. Thanks to a recursive union-find with atomic instructions, DLP is no more iterative but direct like the algorithms for multicore processors. The equivalence table is embedded within the image in order to reduce the number of memory accesses and also to simplify and combine transitive closure and relabeling operations. The optionnal pre-processing step can speeds up DLP-GPU from  $\times 1.5$  for low density images up to  $\times 2.5$  for high density images.

**DLP-GPU** structure

eling [in shared memory]

*ile)* [optional] tional

ing [in global memory]

relabeling [in global memory]

**Reproducible benchmarks** 

